

**AQA Computer Science A-Level**  
**4.3.5 Sorting algorithms**  
Concise Notes



## **Specification:**

### **4.3.5.1 Bubble sort**

Know and be able to trace and analyse the time complexity of the bubble sort algorithm. This is included as an example of a particularly inefficient sorting algorithm, time-wise. Time complexity is  $O(n^2)$ .

### **4.3.5.2 Merge sort**

Be able to trace and analyse the time complexity of the merge sort algorithm. The 'merge' sort is an example of 'Divide and Conquer' approach to problem solving. Time complexity is  $O(n \log n)$ .

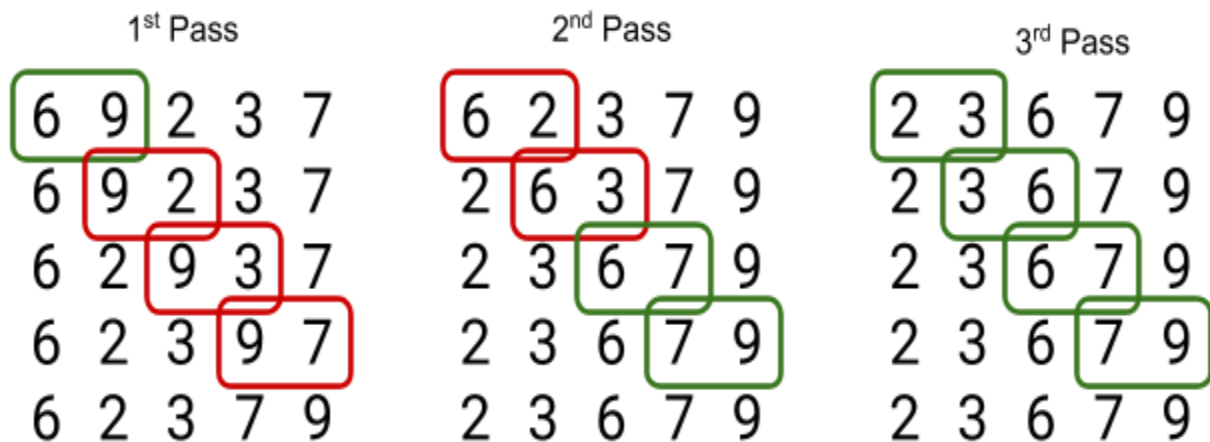


## Sorting Algorithms

- Used to put the elements of an array **into a specific order**
- The **binary search algorithm** can only be carried out on **sorted arrays**, so a sorting algorithm must be used **before the search** if the array is not ordered

### Bubble Sort

- **Swaps adjacent items** in an array until the array is in order
- Has a time complexity of  $O(n^2)$
- A particularly **inefficient** sorting algorithm

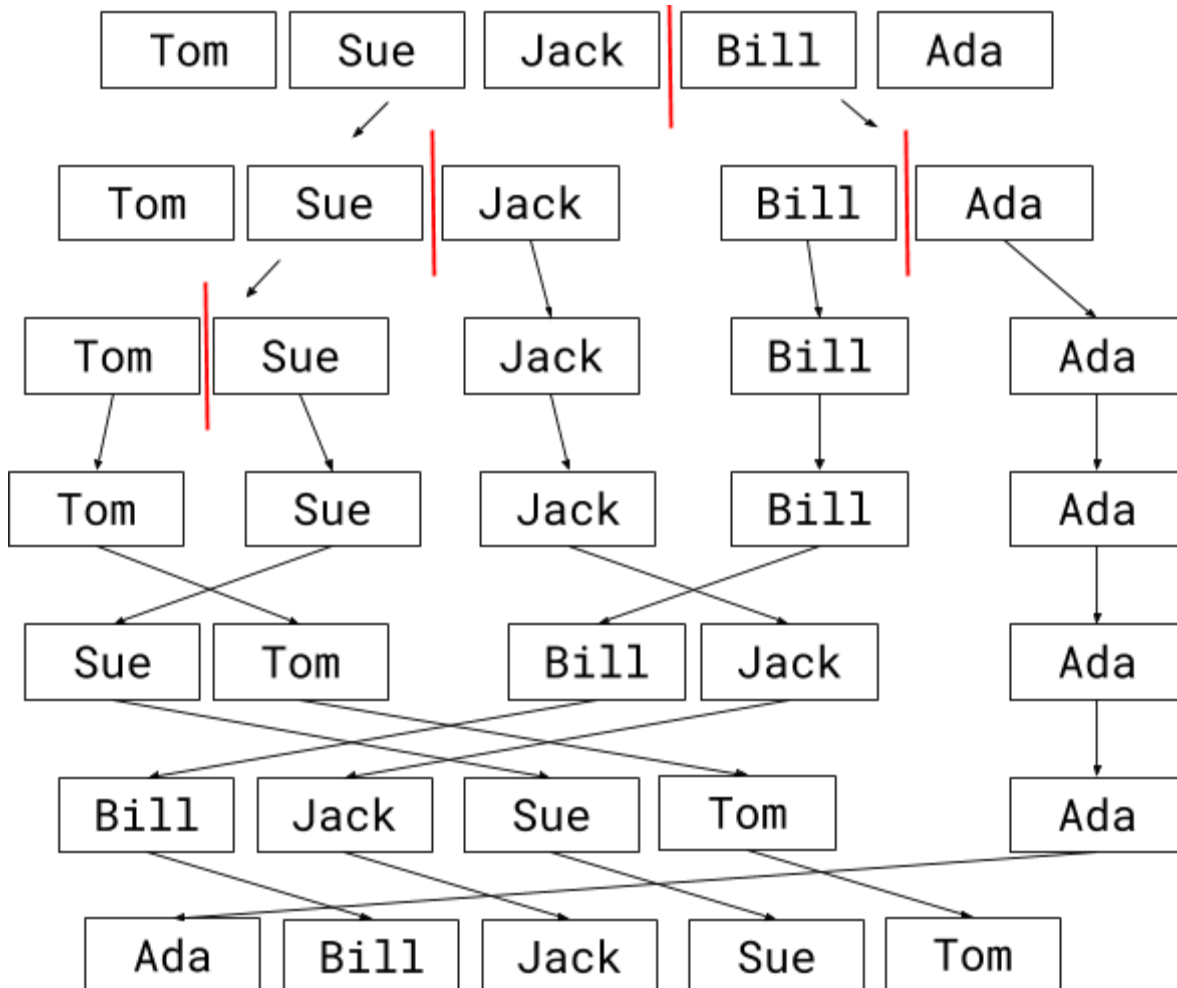


In the example above, a green loop represents two items that are in the **correct order** and **do not require swapping**. A red loop represents two items that are in the **wrong order** and must be swapped. The algorithm completes after a pass in which no **swaps occur**.



## Merge Sort

- An example of a “**divide and conquer**” sorting algorithm
- Divides an array **into smaller arrays** until each array contains **just one element**
- When an array has just one element, it can be considered an **ordered array**
- Arrays are then **merged back together** in order to form an ordered array
- Has a time complexity of  $O(n \log n)$
- An **efficient** sorting algorithm



In the example above, the array is **split down the middle** and then **continues to be split** until each resulting array is just one element in size. The arrays are then **merged back together** in the correct order.

